## Bellwort 05/07/12

Find the number of faces, edges, and vertices.
1.


$$
\begin{gathered}
F=7 \\
V=10 \\
E=15 \\
7+10=15+2 \\
17=17 \mathrm{~J}
\end{gathered}
$$

## Geometry <br> 12.2 Surface Area of Prisms and Cylinders Standard(s): 4

## Vocabulary:

Prism: A polyhedron with two congruent faces (called bases) that lie in parallel planes.

Lateral Faces: Parallelograms formed by connecting the vertices of the bases.

Lateral Edges: Segments connecting the vertices of the bases

Surface Area: The sum of the areas of its faces.

Lateral Area: The sum of the areas of the lateral faces.

Right Prism: Each lateral edge is perpendicular to both bases.

Oblique Prism: A prism with lateral edges that are not perpendicular to the bases


Right rectangular prism

oblique triangular prism

Cylinder: A solid with congruent circular bases that lie in parallel planes.

Right Cylinder: The segment joining the centers of the bases is perpendicular to the bases.

$$
\begin{aligned}
& \text { THEOREM } \\
& \text { THEOREM 12.2 Surface Area of a Right Prism } \\
& \text { The surface area } S \text { of a right prism is the sum of the } \\
& \text { base areas and lateral area: } \\
& \quad S=2 B+P h \text {, } \\
& \text { where } B \text { is the area of the base, } P \text { is the perimeter of a } \\
& \text { base, and } h \text { is the height. }
\end{aligned}
$$

Theorem 12.3 Surface Area of a Right Cylinder
The surface area $S$ of a right cylinder is the sum of the base areas and the lateral area:

$$
S=2 B+C h=2 \pi r^{2}+2 \pi r h
$$

where $B$ is the area of a base, $C$ is the
circumference of a base, $r$ is the radius of a base, and $h$ is the height.

$S=2 B+C h=2 \pi r^{2}+2 \pi r h$ For Your Notebook

where $B$ is the area of a base and $h$ is the height.

$$
V=B h
$$

## Theorem 12.7 Volume of a Cylinder

The volume $V$ of a cylinder is

$$
V=B h=\pi r^{2} h,
$$

where $B$ is the area of a base, $h$ is the height, and $r$ is the radius of a base.


THEOREM For Your Notebook

THEOREM 12.8 Cavalieri's Principle
If two solids have the same height and the same cross-sectional area at every level, then they have the same volume.

| Surface Area Using Net |  |
| :---: | :---: |
| Find the surface area of the solid formed by the net. Round the answer to the nearest hundredth.$r=2$ |  |
|  |  |
| $10 \mathrm{in}$. |  |
| $S A=2 B+C h$ |  |
| $=2\left(2^{2} \pi\right)+(2 \cdot 2 \cdot \pi)(10)$ |  |
| $=2(4 \pi)+(4 \pi)(10)$$=8 \pi+40 \pi$ |  |
|  |  |
| $=48 \pi$ |  |
| $S A=150.8 \mathrm{in}^{2}$ |  |
| $B=$ |  |
|  |  |
| $h$ = |  |
| ${ }^{8+\underbrace{8}_{8 \mathrm{~cm}}} \mathrm{f}^{8} \quad S A=2 B+$ |  |
| 仿 $\quad P=24$ |  |
|  |  |
| $A=\frac{1}{2} b h^{20 \mathrm{~cm}} \quad S A=2(16 \sqrt{3})+24(20)$ |  |
| $88=32 \sqrt{3}+480$ |  |
| $\xrightarrow[4]{4}=535.43 \mathrm{~cm}^{2}$ |  |
| $8^{2} 2^{84}$ |  |
| - 4 +h |  |
| $64=16+h^{2}$ |  |
| $h=4 \sqrt{3}$ |  |
| $A_{\Delta}=\frac{1}{2}(8)(4 \sqrt{3})$ |  |
| $=4.4 \sqrt{3}$ |  |
| $=16 \sqrt{3}$ |  |

Surface Area of a Right Prism
Find the surface area of the right prism. Round your answer to the nearest hundredth.


Surface Area of a Right Cylinder
Find the surface area of the right cylinder. Round your answer to the nearest hundredth.

$S A=2 B+C h$ $B=49 \pi y^{2}$ $C=14 \pi$ yd
$h=12 y d$
$S A=2(49 \pi)+14 \pi(12)$
$=98 \pi+168 \pi$

$$
=266 \pi
$$

$=835.66 \mathrm{yd}^{2}$

Solve for a Missing Value
Solve for $x$ given the surface area. Round your answer to the nearest hundredth.
$\mathrm{S}=326.73 \mathrm{~cm}^{2}$


$$
\begin{aligned}
S A & =2 B+C h \\
B & =16 \pi \mathrm{~cm}^{2} \\
C & =8 \pi \mathrm{~cm} \\
h & =x \\
326.73 & =2(16 \pi)+8 \pi x \\
326.73 & =32 \pi+8 \pi x \\
\frac{326.73}{8 \pi} & =\frac{8 \pi(4+x)}{8 \pi} \\
-4 & =4+x \\
x & =9 \mathrm{~cm}
\end{aligned}
$$

## Homework Assignment

## Worksheet 12.2B

